

CONVENTIONAL USE OF SYMBOLS IN REGRESSION ANALYSIS

Type of quantity	Sample	Population
Parameters	a, b, c, d, e, p, q, r, s, t, ...	$\alpha, \beta, \chi, \delta, \varepsilon, \pi, \theta, \rho, \sigma, \tau, \dots$
Variables	x, y, z, ...	x, y, z, ...
Functions	f(), g(), F(), G()	f(), g(), F(), G()
Indexing variables or parameters or functions by subscripts or superscripts. Do not confuse superscripts with power.	i, j, k, l, m, n, ...	i, j, k, l, m, n, ...
Mean value of a variable X		μ_x
Variance of a variable X		σ_x^2
Standard deviation of X		Square root of $\text{var}(x) = \sigma_x$
Co-variance of X and Y		$\text{cov}(x,y) = \sigma_{xy}$

Operators	Name	Meaning
$\Sigma_i (\text{expression})_i$	Sum operator	Find the sum by add together all elements $(\text{expression})_i$ as the index i varies. If nothing is specified for i it will be assumed to vary from the lower bound of 1 to the upper bound of n.
$\Pi_i (\text{expression})_i$	Product operator	Find the product by multiplying all elements $(\text{expression})_i$ as the index I varies. If nothing is specified for I it will be assumed to vary from the lower bound of 1 to the upper bound of n.
E(expression)	Expectation operator	Find the average value of (expression) in a population
var(expression)	Variance operator	Find the variance of (expression) in a population

See more in Hamiton, Appendix 1, page 289-301